

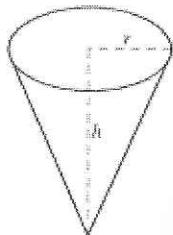
Geometry A

Chapter 5 Free Response Practice Test

Name _____ Key

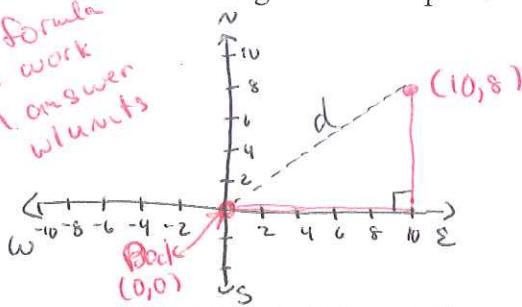
- 1) The volume, V , of the right circular cone with radius r and height h , shown below, can be found using the formula $V = \frac{1}{3}\pi r^2 h$. A cone-shaped paper cup has a volume of 162 cubic centimeters and a height of 9 centimeters.

What is the radius, to the nearest centimeter, of the paper cup?



+1 formula: $V = \frac{1}{3}\pi r^2 h$
 Substitute given info $162 = \frac{1}{3}\pi r^2 (9)$
 multiply by 3 $(3) 162 = (3) \frac{1}{3}\pi \cdot 9 \cdot r^2$
 Divide by (9π) $\frac{486}{(9\pi)} = \frac{9\pi r^2}{(9\pi)}$
 square root to get r $17.189 = r^2$
 +1 answer w/units $r \approx 4.1 \approx 4 \text{ cm}$

- 2) A boat departs Port Isabelle, Texas, traveling to an oil rig. The oil rig is located 10 miles east and 8 miles north of the boat's departure point. About how many miles is the oil rig from the departure point?



Use Pythagorean theorem or Distance formula

$$\begin{aligned} a^2 + b^2 &= c^2 \\ 8^2 + 10^2 &= d^2 \\ 64 + 100 &= d^2 \\ 164 &= d^2 \\ 12.8 \text{ miles} &= d \end{aligned}$$

$$\begin{aligned} d &= \sqrt{(10-0)^2 + (8-0)^2} \\ d &= \sqrt{100+64} \\ d &= \sqrt{164} \\ d &\approx 12.8 \text{ miles} \end{aligned}$$

- 3) Points A , B , C , and D are on a line such that B is between A and C , and C is between B and D . draw Line, place pts w/ correct order

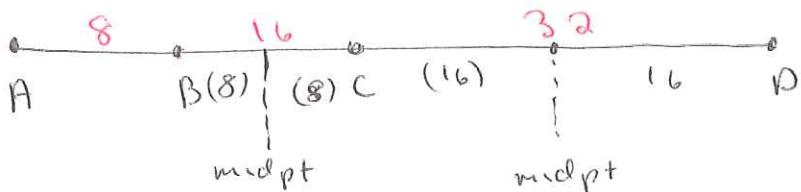
The distance from A to B is 8 units. Label on Line

The distance from B to C is twice the distance from A to B , and the distance from C to D is twice the distance from B to C .

$16 \cdot 2 = 32$ Label on Line

$8 \cdot 2 = 16$ Label on Line

What is the distance, in units, from the midpoint of BC to the midpoint of CD ? \leftarrow midpt is



$\frac{1}{2}$ way -
 put midpts on
 Line
 Label distances
 add to
 answer question

distance = $8 + 16 = 24 \text{ units}$

Geometry A

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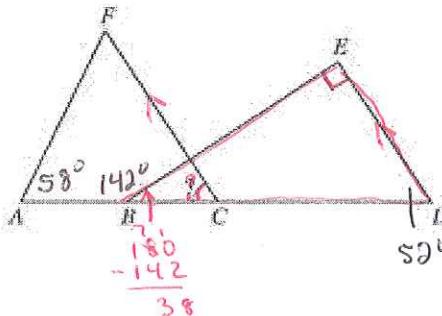
Name _____ Key

- 4) In the figure below, A, B, C , and D are collinear, \overline{FC} is parallel to \overline{ED} , \overline{BE} is perpendicular to \overline{ED} , and the measures of $\angle FAB$ and $\angle EBA$ are as marked.

*mark given info
on figure
use to
solve problem!*

What is the measure of $\angle FCB$? *Identify angle*

3 pts

*strategy:*

Solve what you can, finding all missing LIs, until answer reveals itself.

$$\begin{aligned} \textcircled{1} \quad m\angle EBC &= 180 - 142 = 38^\circ \quad \text{Linear Pair} \\ \textcircled{2} \quad \text{In } \triangle BED, \quad m\angle BDC + m\angle E + m\angle D &= 180 \\ 38 + 90 + m\angle D &= 180 \\ 128 + m\angle D &= 180 \\ -128 &-128 \\ m\angle D &= 52^\circ \end{aligned}$$

$\textcircled{3}$ $\angle D$ and $\angle FCB$ are corresponding angles so congruent! $m\angle FCB = 52^\circ$

- 5) The geometric figure shown below consists of a square and 4 semicircles.

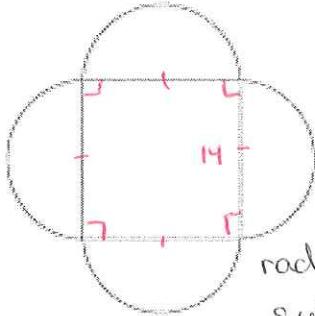
$$m\angle FCB = 52^\circ$$

The diameters of the semicircles are the sides of the square, and each diameter is 14 centimeters long.

Label figure!

3 pts

Which of the following is the closest approximation of the total area, in square centimeters, of this geometric figure?



$$\begin{aligned} \text{radius of circle} &= \frac{14}{2} = 7 \\ \text{side of square} &= 14 \end{aligned}$$

$$\begin{aligned} \text{Area} &= 1 \text{ square} + 4 \text{ semicircles} \\ &= 1 \text{ square} + 2 \text{ circles} \end{aligned}$$

$$1 \text{ pt} \quad = \text{side}^2 + 2(\pi r^2)$$

$$1 \text{ pt} \quad = 14^2 + 2(\pi \cdot 7^2)$$

$$= (196 + 98\pi) \text{ cm}^2$$

$$\approx 503.88 \text{ cm}^2$$

exact answer

approximate 1 pt answer w/units

- 6) Quadrilateral $ABCD$ is drawn on the standard (x,y) coordinate plane as shown below, with points E and F on AD .

3 pts
show all work!
1 pt each
steps 2-4

Point G is the center of rectangle $BCEF$.

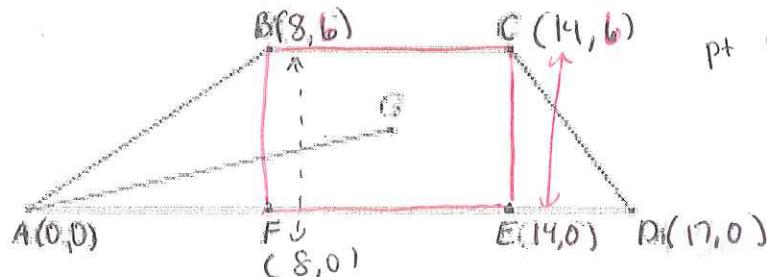
① draw \square to better visualize

② Label Points

pt C has y coordinate like B
x coordinate like E

pt F on x axis so y coord. is 0
y coordinate like B

How many coordinate units long is AG ?



③ Find Point G

y_2 way btwn x coordinates
 y_2 way btwn y coordinates

$$6 \left(\frac{8+14}{2}, \frac{0+6}{2} \right) = (11, 3)$$

- ⓐ Use distance formula to find AG

$$AG = \sqrt{(11-0)^2 + (3-0)^2} = \sqrt{11^2 + 3^2} = \sqrt{121+9} = \sqrt{130} \approx 11.4 \text{ units}$$